

Additional Pilot Information for Teachers

Ruth

Flight Number	Origination City	Departure Time	Destination City	Arrival Time	Flight Length
767	Phoenix	8:00a.m.	Seattle	9:45a.m.	2.75 hours
268	Seattle	10:30a.m.	Los Angeles	1:15p.m.	2.75 hours
465	Los Angeles	1:45p.m.	Seattle	4:15p.m.	2.5 hours
Layover In Seattle					

Leg 1: What is the likelihood that Ruth will depart Phoenix in time to fly to Los Angeles? (Be sure to explain your calculations.)

Ruth has a 45-minute layover in Seattle before flying to Los Angeles. Therefore, her departure from Phoenix must **not** be delayed more than 45 minutes.

a. What is the likelihood that Ruth will have a delayed departure from Phoenix?

$(\# \text{ Departure Delays}) \div \# \text{Total Departures} =$

$(\# \text{ Air Traffic Delays} + \# \text{ Weather Delays}) \div \# \text{ Total Departures} = (21 + 4) \div 144 = 25 \div 144 = 0.174 \text{ or } 17.4\%$

b. If there is a delay in Phoenix, what is the likelihood that it will be more than 45 minutes?

$(\# \text{ delays} > 45 \text{ minutes}) \div (\# \text{ of delays}) =$

$(\# \text{ delays } 46 - 60 \text{ minutes} + \# \text{ delays } 61 - 75 \text{ minutes} + \# \text{ delays } 76 - 90 \text{ minutes} + \# \text{ delays } > 90 \text{ minutes}) \div (\# \text{ Air Traffic Delays} + \# \text{ Weather Delays}) =$

$(7 + 6 + 5 + 3) \div (21 + 4) = 21 \div 25 = 0.84 \text{ or } 84\%$

c. What is the likelihood that Ruth will have a delay of more than 45 minutes?

$(\text{likelihood of a late departure}) \times (\text{likelihood of the departure being } > 45 \text{ minutes}) =$

$17.4\% \times 84\% = 0.174 \times 0.84 = 0.1462 \text{ or } 14.6\%$

OR

$((21 \text{ delays due to air traffic} + 4 \text{ delays due to weather}) \div 144 \text{ total departure flights}) \times ((7 \text{ delays } 46 - 60 \text{ minutes} + 6 \text{ delays } 61 - 75 \text{ minutes} + 5 \text{ delays } 76 - 90 \text{ minutes} + 3 \text{ delays } > 90 \text{ minutes}) \div (21 \text{ Air Traffic Delays} + 4 \text{ Weather Delays}))$

$= (25 \div 144) \times (21 \div 25) = (0.174) \times (0.84) = 0.1462 \text{ or } 14.6\%$

d. What is the likelihood that Ruth will depart Phoenix in time to fly to Los Angeles?

$$100\% - 14.6\% = 85.4\%$$

Ruth has an 85.4% chance of departing Phoenix on time.

Leg 2: What is the likelihood that Ruth will depart Seattle in time to fly back to Seattle?

Ruth has a 30-minute layover in Los Angeles before flying back to Seattle. Therefore, her departure from Seattle must **not** be delayed more than 30 minutes.

(likelihood of a late departure) x (likelihood of the departure being > 30 minutes) =

((21 delays due to air traffic + 29 delays due to weather) ÷ 173 total departure flights) x ((6 delays 31 – 45 minutes + 12 delays 46 – 60 minutes + 11 delays 61 – 75 minutes + 11 delays 76 – 90 minutes + 7 delays > 90 minutes) ÷ (21 Air Traffic Delays + 29 Weather Delays))

$$= (50 \div 173) \times (47 \div 50) = (0.289) \times (0.94) = 0.2717 \text{ or } 27.2\%$$

Therefore, the likelihood that she will arrive in time is 100% - 27.2% or 72.8%.

Fill in the table below with the results of your computations.

Ruth

Flight Number	Origination City	Departure Time	Destination City	Arrival Time	Flight Length	Likelihood of On-Time Departure	Accumulated Likelihood
767	Phoenix	8:00a.m.	Seattle	9:45a.m.	2.75 hours	85.4%	85.4%
268	Seattle	10:30a.m.	Los Angeles	1:15p.m.	2.75 hours	72.8%	62.2%
465	Los Angeles	1:45p.m.	Seattle	4:15p.m.	2.5 hours		
Layover In Seattle							

If a pilot has less than a 75% chance of arriving in time for the next flight, a standby pilot must be ready to fly. Will a delayed arrival or departure for Ruth reach a point at which a standby pilot must be scheduled?

Because the likelihood of Ruth's departing Seattle in time to make the return flight is less than 75 percent, a standby pilot should be scheduled for her flight from Los Angeles to Seattle.

A standby pilot is called when the accumulated (compound) probability of arriving in time drops below 65%. Will the accumulated chance of a delayed arrival or departure for Ruth reach a point at which a standby pilot must be scheduled? If so, for which flight do you need a standby pilot?

Yes, the accumulated likelihood that Ruth will depart Seattle on time to make her return flight is 62.2%. $62.2\% < 65\%$, so a standby pilot should be called to fly from Los Angeles to Seattle (though note that one has already been called due to the individual flight calculation).